## Collins

## Edexcel

## Mathematics

## SET A - Paper 3 Foundation Tier (Calculator)

## Author: Phil Duxbury

## Time allowed: 1 hour 30 minutes

## You must have:

- Ruler graduated in centimetres and millimetres, protractor, pair of compasses, pen, HB pencil, eraser, calculator


## Instructions

- Use black ink or black ball-point pen.
- Answer all questions.
- Answer the questions in the spaces provided - there may be more space than you need.
- Calculators may be used.
- Diagrams are NOT accurately drawn, unless otherwise indicated.
- You must show all your working out.


## Information

- The total mark for this paper is 80
- The marks for each question are shown in brackets
- use this as a guide as to how much time to spend on each question.
- Read each question carefully before you start to answer it.
- Keep an eye on the time.
- Try to answer every question.
- Check your answers if you have time at the end.

Name: $\qquad$

# Answer ALL questions. <br> <br> Write your answers in the spaces provided. <br> <br> Write your answers in the spaces provided. <br> <br> You must write down all the stages of your working. 

 <br> <br> You must write down all the stages of your working.}

1 Write 31505 correct to the nearest 1000 .

2 From the following list of numbers, write down the square number, and write down the prime number.

$$
45,46,47,48,49,50
$$

Square number is

Prime number is

3 The distance between Newcastle and Carlisle is 84.65 km
Given that a road atlas has a scale of 1:625000, calculate the distance that Newcastle and Carlisle would be apart in the atlas.

The following bar chart illustrates the number of students choosing each subject at the start of their A-level courses.


A-level subject
(a) Find the percentage of students who choose either English literature or Mathematics.
(b) State the modal subject choice.

5 Tom is thinking about buying a season ticket to attend home matches at his local football club.
The price of entry to a single match is $£ 17$, while a season ticket costs $£ 300$.
(a) How many matches would Tom need to attend in order for the season ticket to save him money?
(b) Given that there are 21 home matches in the season, how much would Tom save if he bought a season ticket and attended all matches?

The following is a scatter-diagram showing the relationship between the number of ice creams sold per day and the average temperature.

(a) Describe the relationship between the number of ice creams sold and the temperature.
(b) By drawing a line of best fit, estimate the number of ice creams that will be sold when the temperature is $8^{\circ} \mathrm{C}$.
(c) Suggest why it may not be appropriate to draw a line of best fit for this data.

7

(a) Calculate the size of the angle marked $x$.

$$
x=
$$

(b) Peter says that these triangles are congruent.

Is he correct?
Give a reason for your answer.

Consider the following number machine.

(a) Find the value of the output when the input is 99 .
(b) Find the value of the input, if the output is twice its value.

10 Translate the following triangle by the vector $\binom{5}{-2}$


11 (a) Simplify $5 x-3 y+4 x+y$
(b) Simplify $(3 x)^{2}$

12 A motorcyclist travels at a steady speed of $15 \mathrm{~m} / \mathrm{s}$.
Calculate his speed in km/hr.
km/hr
(Total for Question 12 is $\mathbf{2}$ marks)

13 Find the length of the side marked $x$ in the following right-angled triangle.


Not drawn accurately

14 State which of the following are equations, and which are identities.
Give your reasons.
(a) $(x-3)^{2}=x^{2}+9$
(b) $\cos x^{\circ}=\sin x^{\circ}$
$\qquad$
(c) $x+1=\frac{x^{2}-1}{x-1}$
$\qquad$

15 The following sector $O A B$ has a radius of 15 cm and an area of $250 \mathrm{~cm}^{2}$.


Find the size of the angle $\theta$.

$$
\begin{equation*}
\theta= \tag{o}
\end{equation*}
$$

16 The density of gold is $19.3 \mathrm{~g} / \mathrm{cm}^{3}$.
Calculate the mass (in kg ) of a $0.1 \mathrm{~m}^{3}$ block of solid gold.

17 Find the size of the angle marked $x$ in the following diagram.

$x=$

18 Simplify the expression $10(x-2)-2(x-10)$

19 A maths test comprises of two papers: paper 1 and paper 2.
A student completes paper 1, then tackles paper 2.
The probability that a student passes paper 1 is 0.7 , and the probability that a student passes paper 2 is 0.8
(a) Complete the probabilities on the following tree diagram.

Paper 1
Paper 2

(b) Find the probability that the student passes at least one of the papers.

20 You are given the formula $\frac{1}{f}=\frac{1}{u}+\frac{1}{v}$
Calculate the value of $f$ when $u=3.5$ and $v=12.2$

21 Three apples and two bananas cost 76p.
One apple and one banana cost 32 p.
Find the separate cost of each fruit.

| Apple $=$ | p |
| :---: | :---: |
| Banana $=$ | p |

22 Charlotte has a biased coin.
The probability that she throws a head is 0.6
(a) Charlotte throws the coin twice.

Find the probability that she throws two heads.
(b) Charlotte throws the coin five times and finds she has thrown all heads.

What is the probability that she throws a tail on the next occasion?
(c) Charlotte throws the coin 60 times.

How many times can she expect to throw heads?

23 A triangle has vertices at $A(4,3), B(7,3)$ and $C(7,4)$.
(a) Plot the triangle on the grid below.

(b) On the grid, draw the line with equation $y=x$
(c) Reflect the triangle $A B C$ in the line $y=x$

24 Will pays $£ 10000$ for a second-hand car.
Its value depreciates by $16 \%$ every year.
Find, by trial and error, how long it will take for the car’s value to drop below $£ 5000$.
Show your working clearly.

25 Simplify the expression $\frac{x^{2}+2 x-3}{x^{2}-9}$

26 A line $L$ has gradient $\frac{4}{5}$ and passes through the point $(0,2)$.
Find the exact coordinate where $L$ crosses the $x$-axis.

27 The first diagram shows part of a circle, centre $O$, radius 5 cm .
The second diagram shows a circle, centre $O$, radius $r \mathrm{~cm}$.


Given that both shapes have the same perimeter, calculate the value of $r$, giving your answer to 3 significant figures.

